

(18 pts.) 14. Given the internet pictured below with a propagation speed of **150m/microsec** on the packet-switched WAN and **200 m/microsec** on the ring LAN where the five nodes (A, B, C, D, E) are equidistantly spaced **300 meters** apart and connected with CAT5e (**20 MHZ**) twisted pair using **differential Manchester** encoding. Assume that every frame on the ring incurs a **one microsecond** delay passing through each node repeater.

Nodes 1-4 and E are equidistantly spaced **5 km** apart on the WAN with **2 Gbps** links between nodes. Node 4 is the only WAN node with **10 millisec.** processing time.

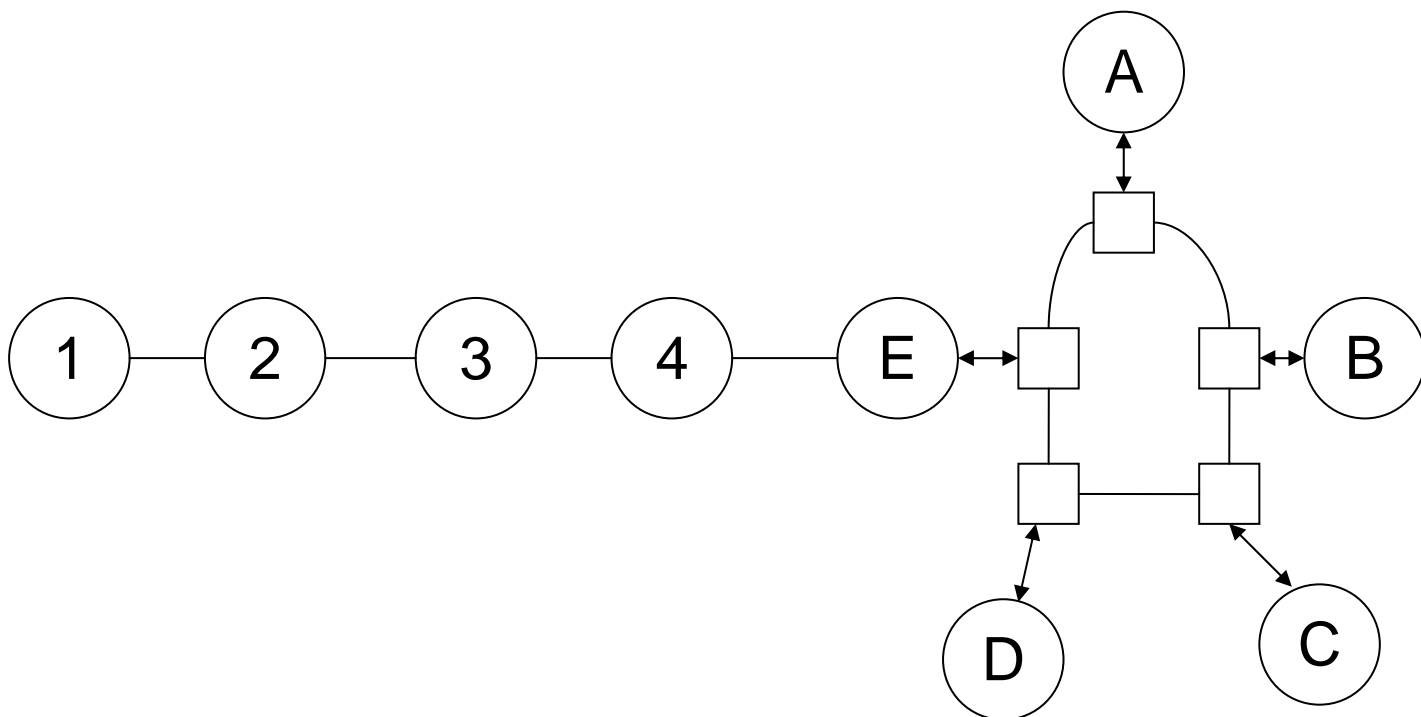
Given the following characteristics and assuming one packet = one frame:

Frame payload = **1000 bytes**

Frame header = **150 bytes** Frame trailer = **100 bytes**

a. **How long will it take to send a packet from node A to node 1 in the situation that when the packet arrives at node 2 there are three packets waiting to go to node 1 and two packets waiting to go to node 4?**

b. **How long will it take to send a packet from node C to node 1 under the identical circumstances as in part a?**



$$\text{delay} = \text{PD} + \text{QD} + \text{TT} + \text{PT}$$

$$\text{one packet} = 1250 \text{ bytes} \times 8 = 10000 \text{ bits} = 10^4 \text{ bits}$$

frame from A to E: {assume ring is transmitting counter-clockwise}

$$\text{PD} = \text{QD} = 0$$

$$\text{TT} = \frac{10^4 \text{ bits}}{10^7 \text{ bits/sec.}} = 10^{-3} \text{ sec.} = 0.001 \text{ sec} = 1000 \text{ microsec.}$$

$$\text{PT} = \frac{300 \text{ m}}{200 \text{ m/microsec.}} = 0.0000015 \text{ sec} = 1.5 \text{ microsec.}$$

$$\text{Repeater (two)} = 2 \text{ microsec.}$$

$$\text{AE Total} = 1003.5 \text{ microsec}$$

packet from E to 1:

$$\text{TT} = \frac{10^4 \text{ bits}}{2 \times 10^9 \text{ bits/sec.}} = 5 \times 10^{-6} \text{ sec.} = 0.000001 \text{ sec} = 5 \text{ microsec.}$$

$$\text{PT} = \frac{5000 \text{ m}}{150 \text{ m/microsec.}} = 0.000033 \frac{1}{3} \text{ sec} = 33 \frac{1}{3} \text{ microsec.}$$

$$\text{QD} = 3 \times \text{TT}$$

$$\text{PD at node 4} = 0.010 \text{ sec} = 10000 \text{ microsec.}$$

4 Hops : 4 TT + 4 PT

$$7 \times \text{TT} = 7 \times 5 = 35 \text{ microsec.}$$

$$4 \times \text{PT} = 4 \times 33 \frac{1}{3} = 133 \frac{1}{3} \text{ microsec.}$$

$$\text{E1 Total} = 10168 \frac{1}{3} \text{ microsec.}$$

$$\text{AE Total} = 1003.5 \text{ microsec.}$$

$$\text{A1 Total} = 11171 \frac{5}{6} \text{ microsec.}$$

b. C to 1 = AE + CA

$$\text{CA} = 2 \times \text{AE} (\text{PT} + \text{repeater}) = 2 (1.5 + 1) = 5 \text{ microsec.}$$

$$\text{C1 Total} = 11176 \frac{5}{6} \text{ microsec.}$$