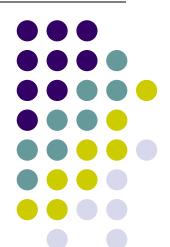
Computer Graphics (CS 4731) Lecture 23: Viewport Transformation & Hidden Surface Removal

Prof Emmanuel Agu

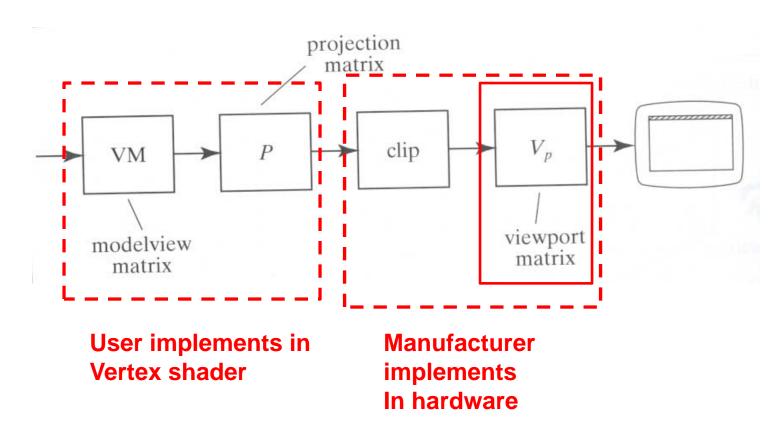
Computer Science Dept. Worcester Polytechnic Institute (WPI)



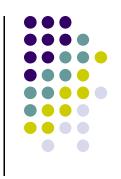




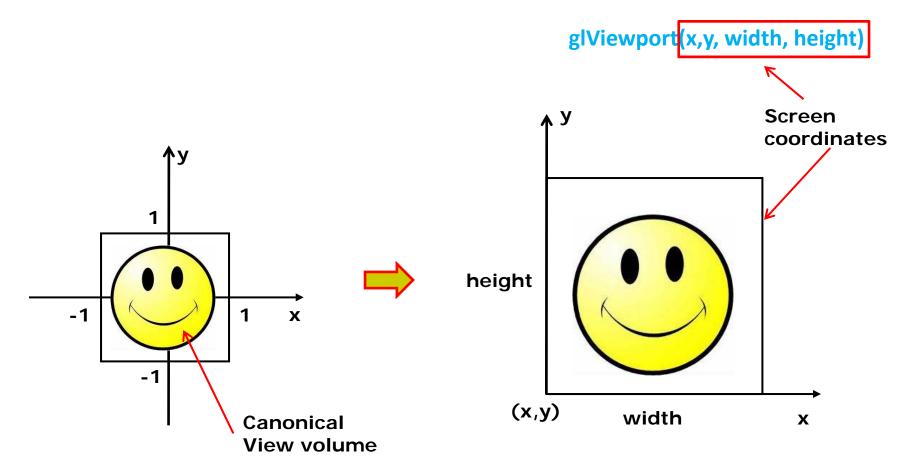
After clipping, do viewport transformation







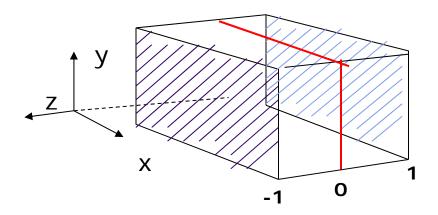
Maps CVV (x, y) -> screen (x, y) coordinates







- Also maps z (pseudo-depth) from [-1,1] to [0,1]
- [0,1] pseudo-depth stored in depth buffer,
 - Used for Depth testing (Hidden Surface Removal)



Hidden surface Removal

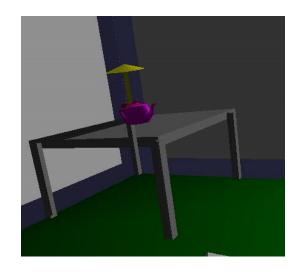


- Drawing polygonal faces on screen consumes CPU cycles
- Cannot see every surface in scene
- To save time, draw only surfaces we see
- Surfaces we cannot see and elimination methods:
 - Occluded surfaces: hidden surface removal (visibility)
 - Back faces: back face culling
 - Faces outside view volume: viewing frustrum culling
- Classes of HSR techniques:
 - Object space techniques: applied before rasterization
 - Image space techniques: applied after vertices have been rasterized

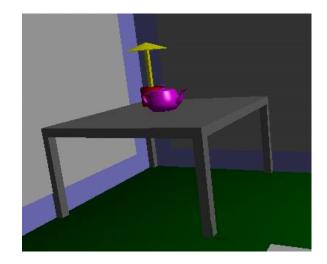
Visibility (hidden surface removal)



- Overlapping opaque polygons
- Correct visibility? Draw only the closest polygon
 - (remove the other hidden surfaces)

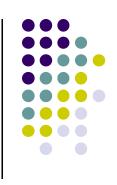


wrong visibility

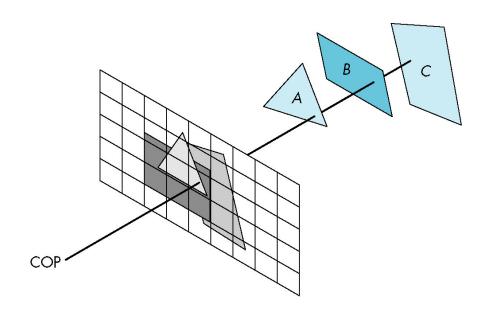


Correct visibility

Image Space Approach



- Start from pixel, work backwards into the scene
- Through each pixel, (nm for an n x m frame buffer) find closest of k polygons
- Complexity O(nmk)
- Examples:
 - Ray tracing
 - z-buffer : OpenGL

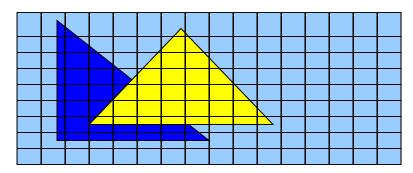




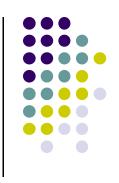


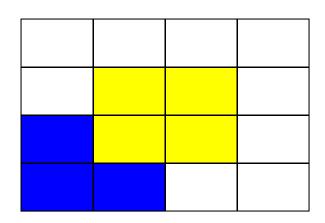
Paint pixel with color of closest object

```
for (each pixel in image) {
   determine the object closest to the pixel
   draw the pixel using the object's color
}
```

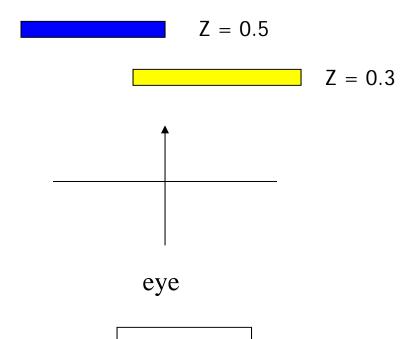








Correct Final image



Top View





Step 1: Initialize the depth buffer

1.0	1.0	1.0	1.0
1.0	1.0	1.0	1.0
1.0	1.0	1.0	1.0
1.0	1.0	1.0	1.0

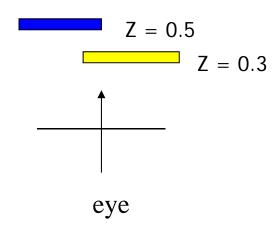
Largest possible z values is 1.0





Step 2: Draw blue polygon (actually order does not affect final result)

1.0	1.0	1.0	1.0
1.0	1.0	1.0	1.0
0.5	0.5	1.0	1.0
0.5	↑ 0.5	1.0	1.0



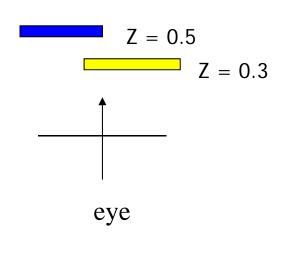
- 1. Determine group of pixels corresponding to blue polygon
- 2. Figure out z value of blue polygon for each covered pixel (0.5)
- 3. For each covered pixel, z = 0.5 is less than 1.0
 - 1. Smallest z so far = 0.5, color = blue





Step 3: Draw the yellow polygon

1.0	1.0	1.0	1.0
1.0	0.3	0.3	1.0
0.5	0.3	0.3	1.0
0.5	\phi .5	1.0	1.0



- 1. Determine group of pixels corresponding to yellow polygon
- 2. Figure out z value of yellow polygon for each covered pixel (0.3)
- 3. For each covered pixel, z = 0.3 becomes minimum, color = yellow

z-buffer drawback: wastes resources drawing and redrawing faces



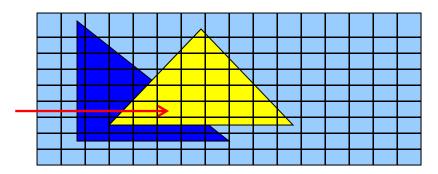


- 3 main commands to do HSR
- glutInitDisplayMode(GLUT_DEPTH | GLUT_RGB)
 instructs openGL to create depth buffer
- glEnable(GL_DEPTH_TEST) enables depth testing
- glClear(GL_COLOR_BUFFER_BIT |
 GL_DEPTH_BUFFER_BIT) initializes depth buffer every time we draw a new picture

Z-buffer Algorithm

- Initialize every pixel's z value to 1.0
- rasterize every polygon
- For each pixel in polygon, find its z value (interpolate)
- Track smallest z value so far through each pixel
- As we rasterize polygon, for each pixel in polygon
 - If polygon's z through this pixel < current min z through pixel
 - Paint pixel with polygon's color

Find depth (z) of every polygon at each pixel



Z (depth) Buffer Algorithm

```
Depth of polygon being
                                     Largest depth seen so far
        rasterized at pixel (x, y)
                                    Through pixel (x, y)
For each polygon {
  for each pixel (x,y) in polygon area {
       if (z_polygon_pixel(x,y) < depth_buffer(x,y) ) {</pre>
            depth_buffer(x,y) = z_polygon_pixel(x,y);
            color_buffer(x,y) = polygon color at (x,y)
```

Note: know depths at vertices. Interpolate for interior z_polygon_pixel(x, y) depths





 Pseudodepth calculation: Recall that we chose parameters (a and b) to map z from range [near, far] to pseudodepth range[-1,1]

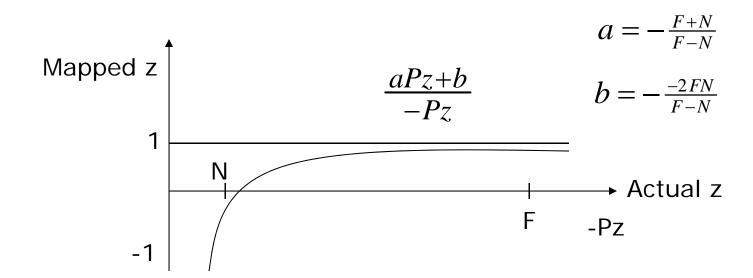
$$\begin{pmatrix}
\frac{2N}{x \max - x \min} & 0 & \frac{right + left}{right - left} & 0 \\
0 & \frac{2N}{top - bottom} & \frac{top + bottom}{top - bottom} & 0 \\
0 & 0 & \frac{-(F + N)}{F - N} & \frac{-2FN}{F - N} & 1
\end{pmatrix}$$

These values map z values of original view volume to [-1, 1] range





- This mapping is almost linear close to eye
- Non-linear further from eye, approaches asymptote
- Also limited number of bits
- Thus, two z values close to far plane may map to same pseudodepth: *Errors!!*







- Angel and Shreiner, Interactive Computer Graphics, 6th edition
- Hill and Kelley, Computer Graphics using OpenGL, 3rd edition, Chapter 9