

## Overview

## WPI

$\square$ Graphics cards can render a lot, very fast - But never as much, or as fast as we'd like!
$\square$ Intelligent scene management allows us to squeeze more out of our limited resources

- Scene graphs
- Scene partitioning
- Visibility calculations

Level of detail control

## Scene Graphs

## WFI

$\square$ A specification of object and attribute relationships

- Spatial
- Hierarchical
- Material properties
$\square$ Transformations
$\square$ Geometry
$\square$ Easy to attach objects together - Riding a vehicle


## Scene Graphs (cont.)

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Can use instances to save resources
Geometry handles instead of geometry
-Texture handles
$\square$ To take advantage of GPUs, reducing the amount of shader (cg) and texture switching is preferred

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## Geometry Sorting and Culling

$\square$ Keys to scene management

- Render only what can be seen
- Render at a satisfactory, perceivable fidelity
- Pre-process what you can
- Use GPU as efficiently as you can
$\square$ First-level
- View-frustum culling
- Back-face culling
- Bounding sphere
$\square$ One or more acceleration structures can be used


## Acceleration Structures

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$\square$ Hierarchical bounding structures

- Test if parent is visible
$\square$ If not, then none of its children are
$\square$ If so, then recursively check the children
$\square$ Could use information about your application to optimize approach
- Many interior levels have cells and portals
- No need to solve the general problem, just the specific one


## Acceleration Structures

$\square$ Many structures exist
$\square$ Appropriateness depends on the scene, and the game (e.g., dynamic objects)
$\square$ Space partitioning
Uniform Grid

- Quad/Oct Tree

Binary-Space Partitioning (BSP) trees

- k-d trees
$\square$ Geometry partitioning
Bounding boxes/spheres/capsules


## Acceleration Structures Space Partitioning

$\square$ Uniform Grids

- Split space up into equal sized (or an equal number of) cells
$\square$ Quad (Oct) Trees
Recursively split space into 4 (8) equal-sized regions
$\square$ Binary-Space Partitioning (BSP) trees
$\square$ Recursively divide space along a single, arbitrary plane
$\square k$-dimensional trees ( $k-d$ trees) - Recursively


## Acceleration Structures Object Partitioning

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Bounding boxes/spheres/capsules
$\square$ Axis-Aligned Bounding Boxes (AABB)
$\square$ Oriented Bounding Boxes (OBB)
$\square$ Discrete Oriented Polytope (DOP)
Polytope: 2D = polygon, 3D = polyhedron

- $k$-DOP: $k$ planes in a DOP

Common: 6-DOP (AABB), 10-DOP, 18-DOP, 24-DOP
$\square$ Bounding-Volume Hierarchies (BVHs)

## Cell-Portal Visibility

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$\square$ Keep track of which cell the viewer is inSomehow enumerate all the visible regionsCell-based

- Preprocess to identify the potentially visible set (PVS) for each cell
$\square$ Point-based
- Compute at runtime
$\square$ Trend is toward point-based, but cell-based is still very common
Why choose one over the other?


## Visibility of Cells

Point-based algorithms compute visibility from a specific point
Which point?

- How often must you compute visibility?

Cell-based algorithms compute visibility from an entire cell

- Union of the stuff visible from each point in the cell
- How often must you compute visibility?
$\square$ Which method has a smaller potentially visible set?Which method is suitable for pre-computation?


## Potentially Visible Set (PVS)

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PVS: The set of cells/regions/objects/polygons that can be seen from a particular cell

- Generally, choose to identify objects that can be seen
- Trade-off is memory consumption vs. accurate visibility
Computed as a pre-process
- Have to have a strategy to manage dynamic objects
$\square$ Used in various ways:
- As the only visibility computation - render everything in the PVS for the viewer's current cell
- As a first step - identify regions that are of interest for more accurate run-time algorithms


## Cell-to-Cell PVS

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Cell A is in cell B's PVS if there exists a stabbing line from a portal of $B$ to a portal of $A$

- Stabbing line: a line segment intersecting only portals
- Neighbor cells are trivially in the PVS


PVS for I contains:
B, C, E, F, H, J



## Putting it all Together

-The "best" solution will be a combination - Static things
$\square$ Oct-tree for terrain
$\square$ Cells and portals for interior structures

- Dynamic things
$\square$ Quick reject using bounding spheres
$\square$ BVHs for objects
Balance between pre-computation and run-time computation


## References

$\square$ http://www.cs.wisc.edu/graphics/Courses/679-f2003/

